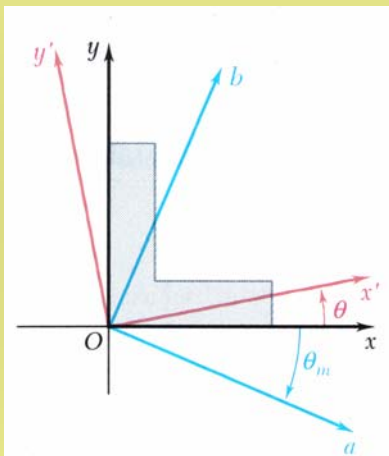


**Mohr's circle can be used to graphically determine:**

a) the principle axes and principle moments of inertia of the area about O

b) the moment and product of inertia of the area with respect to any other pair of rectangular axes  $x'$  and  $y'$  through O

**Algebraic Solution Equations**

$I_x$  = Moment of inertia about x axis

$I_y$  = Moment of inertia about y axis

$I_{xy}$  = Product of inertia

$$I'_x = I_x \cos^2 \theta + I_y \sin^2 \theta - 2 I_{xy} \sin \theta \cos \theta$$

$$I'_y = I_x \sin^2 \theta + I_y \cos^2 \theta + 2 I_{xy} \sin \theta \cos \theta$$

$$I'_{xy} = I_{xy} \cos^2 \theta + 0.5 (I_x - I_y) \sin 2\theta$$

**Graphical Solution Path**

- On x-axis  $C = (I_x + I_y)/2$
- $R = \{[(I_x - I_y)/2]^2 + I_{xy}^2\}^{(1/2)}$
- $I_{\max} = A = C + R$  &  $I_{\min} = B = C - R$
- Plot points  $(I_x, I_{xy})$  &  $(I_y, -I_{xy})$ , and draw a line to illustrate original moment of inertia.
- Proceed with analysis as in Mohr's circle for stress to find  $I_{x'}$ ,  $I_{y'}$ , and  $I_{x'y'}$ , at different angles.

