

# Worksheet for Calculating a Regression Line

1<sup>st</sup> Fill in the following table with information from shrubs estimated (column 1) and actual or clipped weight (column 3). You can use your "Direct Weight Estimate", "Reference Unit Method" or "Dimension Analysis" as your estimate.

	Estimate <u>1</u>	<u>2</u>	Actual <u>3</u>	<u>4</u>	<u>5</u>
Plot	<u>X</u>	<u>X<sup>2</sup></u>	<u>Y</u>	<u>Y<sup>2</sup></u>	<u>XY</u>
1					
2					
3					
4					
5					
6					
7					
8					
9					
10					
Total	$\Sigma X$	$\Sigma X^2$	$\Sigma Y$	$\Sigma Y^2$	$\Sigma XY$

Column 1, Enter weight **estimated** in field

Column 2\*, Square each value in column 1

Column 3, Enter **actual** clipped weight

Column 4\*, Square each value in column 3

Column 5, Multiply each value in column 1

with its corresponding value in column 3

\* If your calculator has a  $\Sigma X^2$  function you can just put the  $\Sigma X^2$  in appropriate box after inputting all of the x's. Same for y's.

2<sup>nd</sup> Calculate the following values:

$$n = \text{number of shrubs clipped} = \boxed{\phantom{000}}$$

$$\bar{X} = \frac{\Sigma X}{n} = \text{average of all estimates} = \boxed{\phantom{000}}$$

$$\bar{Y} = \frac{\Sigma Y}{n} = \text{average of actual weights} = \boxed{\phantom{000}}$$

$$SS_x = \Sigma X^2 - \frac{(\Sigma X)^2}{n} = \boxed{\phantom{000}}$$

$$SS_y = \Sigma Y^2 - \frac{(\Sigma Y)^2}{n} = \boxed{\phantom{000}}$$

$$SS_{XY} = \Sigma XY - \frac{(\Sigma X)(\Sigma Y)}{n} = \boxed{\phantom{000}}$$

3<sup>rd</sup> Calculate **slope** of line:

$$m = \frac{SS_{XY}}{SS_x} = \boxed{\phantom{000}}$$

4<sup>th</sup> Calculate **y-intercept** of line:

$$b = \bar{Y} - (m * \bar{X}) = \boxed{\phantom{000}}$$

5<sup>th</sup> calculate correlation value or **r** (yes  $r^2$  or  $R^2$  really is just **r** squared or  $r * r$ )

$$r = \frac{n \Sigma xy - (\Sigma x)(\Sigma y)}{\sqrt{[n \Sigma x^2 - (\Sigma x)^2][n \Sigma y^2 - (\Sigma y)^2]}}$$

6<sup>th</sup> Line **equation** is:

$$y = (\text{slope} * x) + \text{intercept, or, } y = (m * x) + b$$