

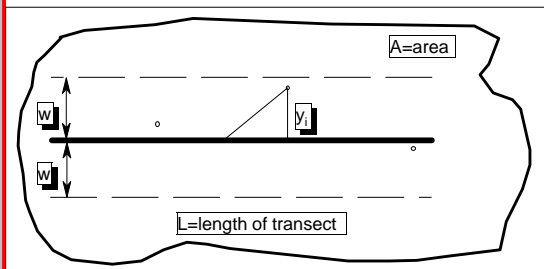
Line Transect/Point Count

Line Transect

- Line transects and point counts are used widely to count animals.
- They are variants of the same approach.
- We will begin with transects which are somewhat simpler to describe.

Line Transect

- Typical Layout:



Line Transect

- $D = \text{density} = N / A$
- $= (\text{number counted}) / (\text{area covered})$
- $= n / 2Lw$ (or $= n / k\pi r^2$)
- $n = \text{number of animals counted}$
- $L = \text{length of the transect}$
- $(k = \text{no. points counted})$
- $w = \text{effective width}$
- $(r = \text{effective radius})$

Field Experiment

- Test these ideas with a known N
- Old Arboretum
- Place birds in a known area (A)
- Estimate their density with
- Line transects and point counts

Field Exercise

- Apply line transects and point counts to estimating the number of birds in parks and residential areas in Moscow
- Each person walk at least 2 blocks or (200 m) each in parks and in residential areas or do atleast 4 point counts in each area

Field Exercise

- Minimum count required: 20 groups of birds in each "habitat"
- Note: For birds (or other animals) in groups record each group as a single observation. The density estimate will be for groups of birds which you would multiply by average group size to estimate birds per unit area (hectare).

Assumptions:

- 1. Animals are randomly and independently distributed over the population area.
- 2. The sighting of one animal is independent of the sighting of another.
- 3. No animal is counted more than once.

Assumptions:

- 4. Animals are detected at their initial location prior to disturbance by the observer.
- 5. The response behavior of the population as a whole does not change during the course of the census.
- 6. The animals are homogeneous with regard to their response behavior, regardless of sex, age, etc.

Assumptions:

- 7. The probability of an animal being seen, given that it is a right-angle distance from the line transect path (irrespective of which side of the path it is on), is a simple function $g(y)$ of y , such that $g(0)=1$ (i.e. probability 1 of seeing an animal on the path is 1.0).

Distance Sampling: Key References

- Seber, G.A.F. 1973. The Estimation of Animal Abundance. Hafner, NY.
- Buckland, S.T., D.R. Anderson, K.P. Burnham, J.L. Laake D. L. Borchers and L. Thomas. 2001. Introduction to Distance Sampling: Estimating Abundance of Biological Populations. Oxford University Press, Oxford.

Seber (1973)

- Detection Curve = $g(y)$
- $g(y)$ = Prob.(animal seen | animal at y)
- Observed Detection Function = $f(y)$
- $f(y)$ = Prob.(animal at y | animal seen)
- If set w = Integral of $g(y)$ dy
- Then $f(y) = g(y)/w$

Examples of $f(y)$ =detections



Density Estimate

- How do we estimate density?
- Old approach:
 - Make an assumption about $g(y)$
 - Derive an estimator
 - Find parameters
 - calculate it

New Approach to Density

- Find a function which fits $f(y)$ well
- Then, assuming that all animals directly on the line ($y=0$) are detected
- $g(0) = 1$
- From $f(y) = g(y)/w$
- $f(0) = g(0)/w = 1/w$
- So Estimate of $w = 1/f(0)$

Density Estimate

- $D^{\wedge} = n / 2Lw$
- $D^{\wedge} = n f(0) / 2L$
- So we must find a function $f(y)$ which fits the observed detection distance curve well and then determine $f(0)$
- Note: In Lecture Outline notes on web w is symbolized by a

Detection Curve

- What is a good model for $f(y)$?
- 30+ proposed and used
- Buckland et al. 2001 criteria
 - a. Model robustness (flexible)
 - b. Pooling robustness
 - c. Shape criterion (shoulder)
 - d. Efficiency (small variance)

Modelling $g(y)$

- 2 step process:
 1. Select a “key function” as a starting point
 2. A flexible form (a “series expansion” is used to adjust the key function (using 1-2 parameters) to improve fit of model to distance data.

Key functions

- Uniform
 - $1/w$
- Half-normal
 - $-y^2/2s^2$
 - e
- Hazard-rate
 - $-(y/s)^{-b}$
 - $1-e$

Series Expansion

- Cosine
- Simple polynomial
- Hermite polynomial

Truncation

- Often required to find a good model and get a good fit (outliers).
- Recommend truncating observations beyond distance at which prob. detection falls below 10%.

Likelihood Ratio Test

- Use this to judge requirement for adjustment terms to a key function
- Allows evaluating whether addition of m_2 terms to m_1 already in model significantly improves it.
 - H_0 : Model w/ m_1 adjustments is true model
 - H_a : Model w/ m_1+m_2 adjustments is true
- $X^2 = -2 \ln (L_1 / L_2)$
 - where L_1 and L_2 are maximum likelihood functions for models 1 & 2

Sequential Approach

- Fit a key function, then fit a low order adjustment term.
- If adjustment improves model fit significantly,
- then test next order adjustment, etc.
- Default approach in DISTANCE
- Buckland et al. recommend $\alpha = .15$ to increase power.

Akaike's Information Criterion

- Optimization approach
- $AIC = -2 \ln (L) + 2q$
 - where $\ln (L)$ is log-likelihood function evaluated at the max. likelihood estimates of model parameters (q = no. of parameters)
- Model with lowest AIC is selected

Goodness of fit

- Useful tool for model selection
- Compares no. of detections in each distance interval to expected no. under fitted model.

POVCP

- Paired Observer Variable Circular Plot
- Developed by Kissling and Garton (In Auk, July 2006)
- Combines distance estimation approach with double observer estimation of probability of detection for objects at center of plot.

POVCP

- Two observers stand at plot center and independently record every bird and distance as well as any bird movements on a simple plot map.
- After 8 minute count observers compare maps. [Observers get feedback, i.e. must stay sharp and learn from each other.]
- At end of day each observer enters their observations into a database which notes birds seen by both or not

POVCP

- Each observer's data first analyzed with DISTANCE to determine at what distance detection probability falls below 1.0 (approx. perfect detection distance).
- Each observer's detections and misses are analyzed and modelled with logistic regression to estimate each observer's prob. of detection at $y=0.0$, plot center ($g(0)$) w/ covariates (rain, veg type, etc.).

POVCP

- Correction factors are calculated from $\theta=1/g(0)$ for each observer.
- Each observers count at a point is converted to a density estimate from $D=(\sum \theta f(0)n)/2\pi$
- A single density estimate for each count is then calculated by averaging the 2 observers density estimates at that point incorporating each observer's effective area and their correction factor.

POVCP

- We applied this to surveys of beach strands left from timber harvest in SE Alaska in 2001 and 2002.
- Comparing estimates to surveys analyzed by 4 other standard methods, the estimates were remarkably more precise and showed that other standard methods are biased low because of birds missed close to the plot center.

POVCP

- Detection probabilities at plot center varied by observers and by bird species from .61 to 1.0 for Hermit Thrush, .83 to .99 for Winter Wren, .8 to .95 for Pacific-slope Flycatcher. etc.
- Density estimates varied for Winter Wrens from 0.84 birds/ha by point counts (no distances used) to 1.70 by VCP to 1.83 by POVCP.