

Catch Curves

- If 100 are born and 50% survive, then there will be 50 one-year olds
- If 50% survive, 25 two-year olds
- If 50% survive, 12 three-year olds
- If 50 % survive, 6 four-year olds

Catch Curves

- Since S (survival rate) is less than 0
- Iog S is always negative
- Let $Z = -\log S$
- $\blacksquare Z = Instantaneous total mortality$
- Then $\log N_t = \log N_0 Zt$



Size of Fish

Catch Curves

- Number alive = Number X Survival
- $\mathbf{N}_1 = N_0 \mathbf{S}$

Catch

- $\blacksquare N_2 = N_0 S S$
- $\blacksquare N_2 = N_0 S^2$
- $\blacksquare N_{\rm t} = N_{\rm o} S^{\rm t}$
- $Iog N_t = log N_0 + t log S$



Fishing and Natural Mortality

- Fishing: c=catch/N=1-e^{-F}
- Natural: n=natural deaths/N
- = 1-e^{-M}
- Combining them as finite rates is complicated: Total= m+n+m*n
- But easy as instantaneous rates:
- Total mortality = $1 e^{-(F+M)} = 1 e^{-Z}$
- (Z=F+M)

Life Tables

- More realistic approach relaxes assumption of equal age-specific survival rates
- Ideal approach marks a "cohort" at birth/young age and counts how many still alive each year[=cohort life table]
- life table]
 Summarize easily by plotting survivorship (lx = no. alive at age x)



- Suppose we had banded 1603 adult male mallards in August of 1980
- How could we predict how many we would receive bands from in 1980, 1981, 1982, etc ?
 It will depend on the fraction of
- It will depend on the fraction of the birds shot in a year and turned in to us (<u>Band recovery rate</u>) and the survival of birds (<u>Survival rate</u>)





Catch Curves

- I. Mortality is constant with age
- 2. No change in mortality over time
- 3. Fishing and natural mortality are uniform
- 4. Recruitment is constant
- 5. Fish fully recruited to gear by age r

Survivorship Curves

- Examples:
- Mammals
- HumansBirds
- Fish
- Types of Survivorship (Pearl 1930, Deevey 1947)
- Stage-specific rates?

Band Recovery Analysis

- \blacksquare N_1 = Number banded in year 1
- f_1 = band recovery rate in year 1
- \bullet S₁ = survival rate in year1
- R₁₂ = recoveries in year 2 from birds banded in year 1
- $\blacksquare R_{11} = N_1 f_1$

$$\blacksquare R_{12} = (N_1 S_1) f_2$$

Program MARK

- We can use the program MARK written by Gary White at CSU to estimate these survival and recovery rates from banding data as well as estimates for a variety of other survival, recovery and mark-resight models.
- To do this we use the PIM or Parameter Information Matrix

PIM - Pa	Parameter Information Matrix Survival Parameter (S)							
time =	1	2	3 3 3 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	4	5 5 5 5 5 6 6 6 6 6 6 6 6 6 6 6 6 6 6 6	6 6 6 6 6 6		

Comparing Models

- With MARK we can estimate a large variety of models.
- We can compare models using AIC or Akaike's Information Criterion.
- AIC measures the deviation of observed data from the model adjusted for the number of parameters in the model.
- $AIC = -2 \ln(L) + 2 n p$
- The <u>lower</u> the AIC the <u>better</u> the model.
- For nested models we could also use Likelihood Ratio Tests.





Parameter (f)									
time =	1	2	3	4	5		6		
[7	8	9	10	11	12			
		8	g	10	11	12			
			g	10	11	12			
					11	12			
						12			
-									
-			_			_			
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L									



Parameter (p)									
time =	1	2	3		4	5	6		
		7	8	ç	10	11	12		
			8	g	10	11	12		
				g	10	11	12		
						11	12		
							12		



Cohort Lifetable - Age-specific Survival (S_x)



